

# Extra (Relevant) problems

by Bo Jakobsen

November 15, 2010

In the following we work with a gas having partition function given as:

$$Z = \frac{1}{N!} (V/V_Q)^N \quad (1)$$

$$V_Q = \left( \frac{h}{\sqrt{2\pi m k_B T}} \right)^3 \quad (2)$$

you might recognize this as being an ideal gas.

## Equilibrium volume

The gas is placed in a container with a frictionless movable heat conducting wall. The number of particles in each subunit ( $N_1$  and  $N_2$ ) is not necessary equal, but constant. The container is in good thermal contact with the surroundings.

T, V1, N1	T, V2, N2
-----------	-----------

Calculate  $V_1$  and  $V_2$  (the volumes) in equilibrium (without using the ideal gas law).

Compare to what you get from the ideal gas law.

## Equilibrium particle number

The gas is placed in a container with a stationary heat conducting wall, which has can be penetrated by the particles. The volume of each subunit ( $V_1$  and  $V_2$ ) is not necessary equal.

T, V1, N1	T, V2, N2
-----------	-----------

Calculate  $N_1$  and  $N_2$  (the particle numbers) in equilibrium (without using the ideal gas law).

Compare to what you get from the ideal gas law.